

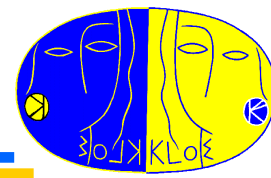


**KLOE results on kaon decays and
summary status of V_{us}**

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for the KLOE collaboration**

**CKM 06 Workshop
Nagoya, 13th December, 2006**

Kaon physics at KLOE

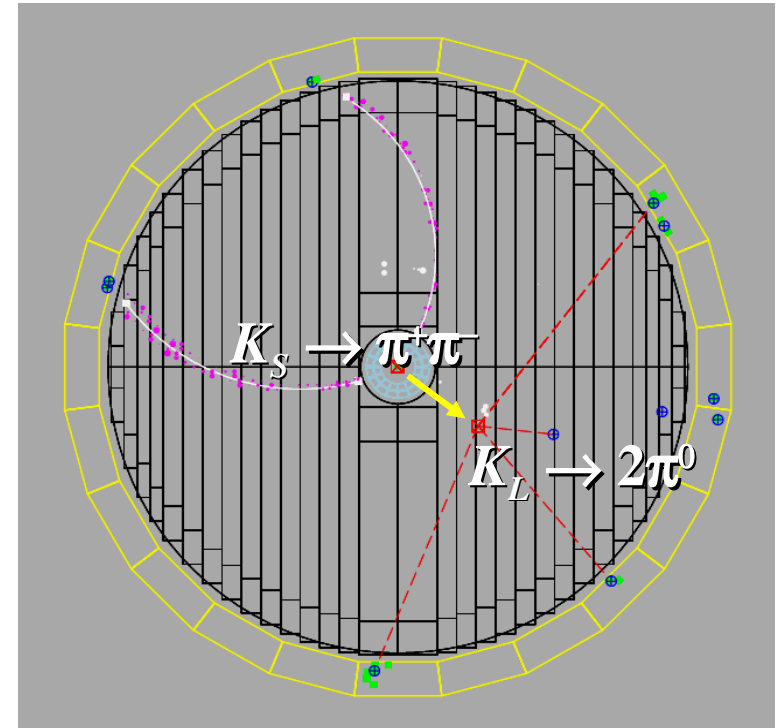


$K_S K_L$ pairs emitted ~back to back, $p \sim 110$ MeV

Identification of K_S (K_L) decay (interaction) **tags** presence of K_L (K_S)

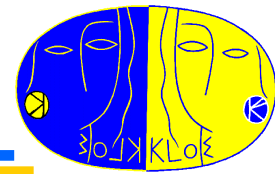
Almost pure $K_{L,S}$ and $K^{+,-}$ beams of known momentum + PID (kinematics & TOF):

- Access to **absolute BR's**
- Precise measurements of K_{Le3} from factors and K_L , K^+ lifetimes (acceptance $\sim 0.5 \tau_L$, τ_+)



Above points crucial for V_{us} **determination**

V_{us} from semileptonic kaon decays



Master formula: $\Gamma(K_{l3}(\gamma)) = |V_{us}|^2 |f_+^{K^0\pi^-}(0)|^2 \frac{G_F^2 m_K^5}{128\pi^3} S_{EW} C_K^2 I_{K\ell} (1 + \delta_K^\ell)$

Theoretical inputs:

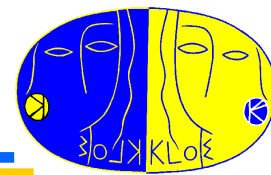
- $f_+(0)$, form factor at zero momentum transfer: purely theoretical calculation
- δ_K^ℓ , e.m.- and (for K^\pm) isospin-breaking effects, presently known @ few per mil level
- [S_{EW} , short distance corrections (1.0232), $C_K = 1$ ($2^{-1/2}$) for K^0 (K^+) decays]

Experimental inputs:

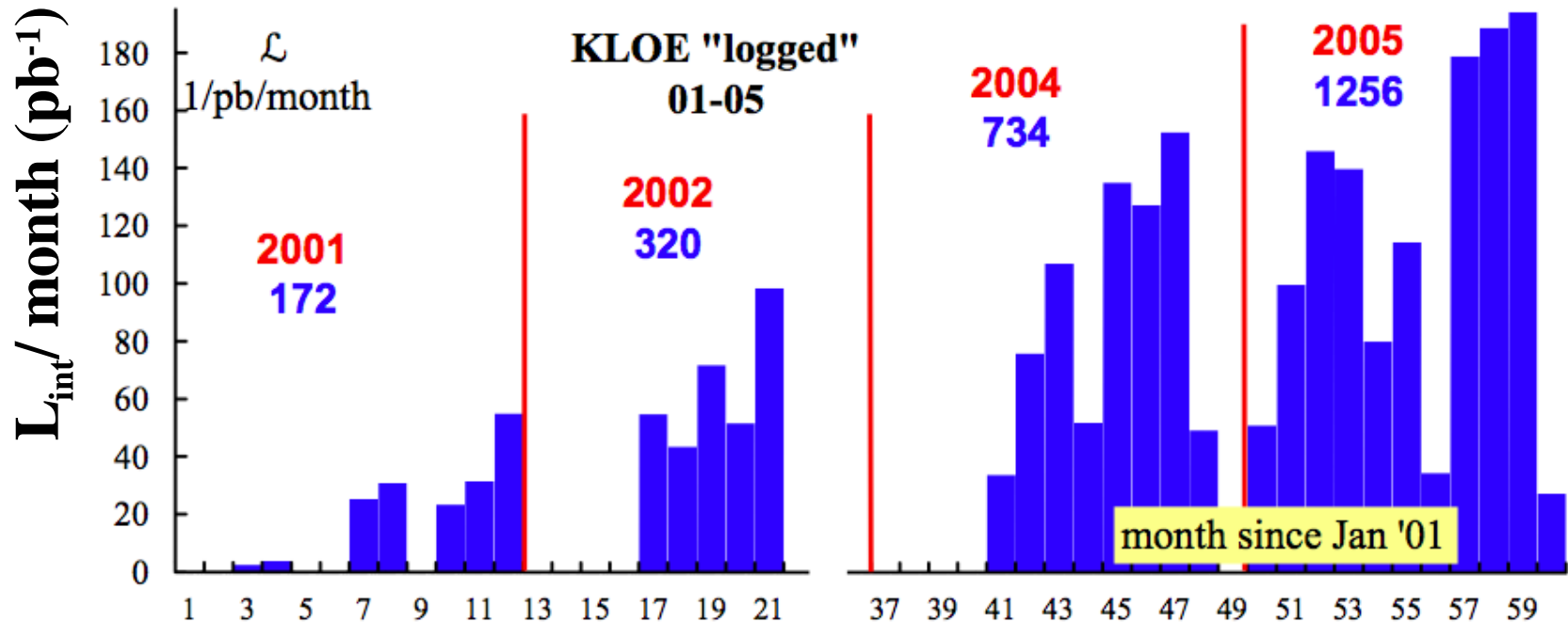
- $I_K^\ell = I(\{\lambda_+\}, \{\lambda_0\}, 0)$, phase space integral, λ_+ , λ_0 denote the t-dependence of vector and scalar form factors
- $\Gamma_{K\ell3(\gamma)}$, semileptonic decay width, evaluated from γ -inclusive BR and lifetime
- m_K , appropriate kaon mass

KLOE is able to measure all relevant inputs: BR's, lifetimes, ff's

Overview of KLOE data



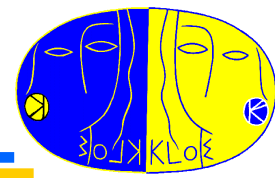
Data taking for KLOE experiment, years 2001-2005, now run completed



$\sim 2.5 \text{ fb}^{-1}$ integrated @ $\sqrt{s} = M(\phi)$, corresponding to $2.5 \cdot 10^9 \text{ K}_S \text{K}_L$ pairs

Results presented here based on first 400 pb^{-1} collected

Recent KLOE results



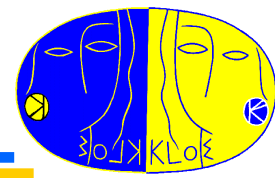
Results from kaon decays analyses published by KLOE in 2006:

Absolute BR's for 4 main K_L channels and τ_L	PLB 632 (2006) 43
Form factor slopes for K_{Le3} decays	PLB 636 (2006) 166
BR's and charge asymmetry for K_{se3}	PLB 636 (2006) 173
Precise measurement of $\Gamma(\pi^+\pi^-(\gamma))/\Gamma(\pi^0\pi^0)$	EPJ C48 (2006) 767
Absolute BR for $K^+ \rightarrow \mu\nu(\gamma)$ decay	PLB 632 (2006) 76
Absolute BR for $K_L \rightarrow \pi^+\pi^-(\gamma)$ decay	PLB 638 (2006) 140
Determination of CP, CPT parameters of K^0 system via BSR and data from KLOE	JHEP 122006011 (2006)

A couple of preliminary measurements have also been announced:

Absolute BR's for K_{l3}^+ decays, K^+ lifetime

Precise measurement of K_L BR's



Results are therefore a function of $\Delta\tau = \tau_L^{\text{PDG}} - \tau_L$ ($k = 0.0128 \text{ ns}^{-1}$):

$$\begin{aligned}
 \text{BR}(K_L \rightarrow \pi e \nu) [\%] &= 40.49(10)(18)/[1 + k \Delta\tau] \\
 \text{BR}(K_L \rightarrow \pi \mu \nu) [\%] &= 27.26(9)(14)/[1 + k \Delta\tau_L] \\
 \text{BR}(K_L \rightarrow 3\pi^0) [\%] &= 20.18(5)(23)/[1 + k \Delta\tau] \\
 \text{BR}(K_L \rightarrow \pi\pi\pi) [\%] &= 12.76(6)(14)/[1 + k \Delta\tau]
 \end{aligned}
 \begin{pmatrix}
 1 & 0.09 & 0.07 & 0.49 \\
 & 1 & -0.03 & 0.27 \\
 & & 1 & 0.07 \\
 & & & 1
 \end{pmatrix}$$

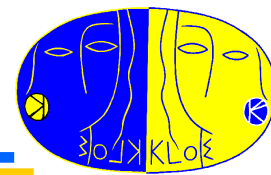
For evaluation of world average V_{us} , those above are the KLOE inputs

Imposing $\sum_{i=1,4} \text{BR}_i = 1 - \text{BR}_{\pi\pi} - \text{BR}_{\gamma\gamma} = 1 - 0.36\%$, extract BR's and τ_L :

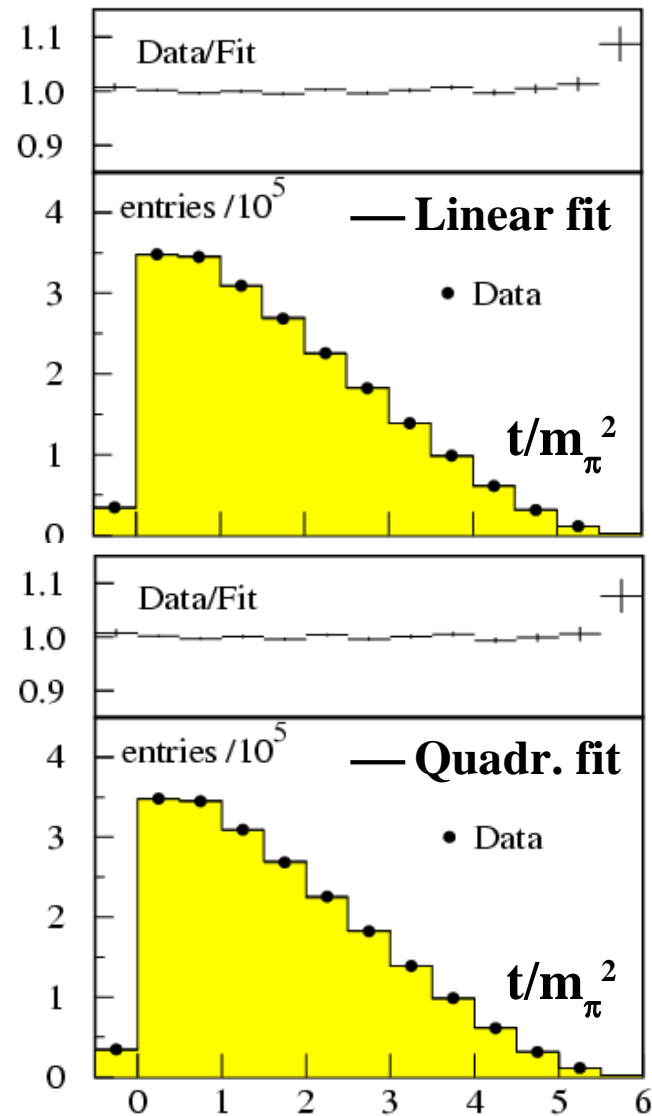
$$\begin{aligned}
 \text{BR}(K_L \rightarrow \pi e \nu) [\%] &= 40.08(6)(14) \\
 \text{BR}(K_L \rightarrow \pi \mu \nu) [\%] &= 26.99(6)(13) \\
 \text{BR}(K_L \rightarrow 3\pi^0) [\%] &= 19.96(5)(19) \\
 \text{BR}(K_L \rightarrow \pi\pi\pi) [\%] &= 12.61(5)(10) \\
 \tau(K_L) &= 50.84(14)(18) \text{ ns}
 \end{aligned}
 \begin{pmatrix}
 1 & -0.31 & -0.55 & -0.01 & 0.16 \\
 & 1 & -0.41 & -0.14 & 0.22 \\
 & & 1 & -0.47 & -0.14 \\
 & & & 1 & -0.26 \\
 & & & & 1
 \end{pmatrix}$$

[include fit with KLOE direct mmt PLB 626 (2005) 15: $\tau(K_L) = 50.92(17)(25) \text{ ns}$]

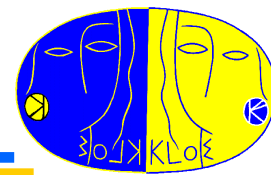
Measurement of K_{Le3} form factor slopes



- Same sample used for K_L BR's + loose kinematics & TOF PID cuts:
 - Select 2×10^6 events
 - Contamination of $\sim 0.7\%$ from $K_L \rightarrow \pi\mu\nu$
- **Analysis by charge**, giving robustness to efficiency correction. Without TOF correction:
 - 20% variation on λ_+
 - 15% difference in results from π^+e^- and π^-e^+
- **Binned log-L fit**, include statistical fluctuation in the efficiency correction
- **Compare linear, quadratic, pole ff's fits**



Measurement of K_{Le3} form factor slopes



Both linear and quadratic fits show good χ^2 probabilities, 89% and 92%

Linear fit	$\lambda_+ \times 10^3$	χ^2/ndf
$K_L \rightarrow \pi^- e^+ \nu$	28.7 ± 0.7	156/181
$K_L \rightarrow \pi^+ e^- \bar{\nu}$	28.5 ± 0.6	174/181
Combined	28.6 ± 0.5	330/363

Quadratic fit	$\lambda'_+ \times 10^3$	$\lambda''_+ \times 10^3$	χ^2/ndf
$K_L \rightarrow \pi^- e^+ \nu$	24.6 ± 2.1	1.9 ± 1.0	152/180
$K_L \rightarrow \pi^+ e^- \bar{\nu}$	26.4 ± 2.1	1.0 ± 1.0	173/180
Combined	25.5 ± 1.5	1.4 ± 0.7	325/362

$$\lambda_+ = (28.6 \pm 0.5_{\text{stat.}} \pm 0.4_{\text{syst.}}) \times 10^{-3}$$

$$\lambda'_+ = (25.5 \pm 1.5_{\text{stat.}} \pm 1.0_{\text{syst.}}) \times 10^{-3}$$

$$\lambda''_+ = (1.4 \pm 0.7_{\text{stat.}} \pm 0.4_{\text{syst.}}) \times 10^{-3}$$

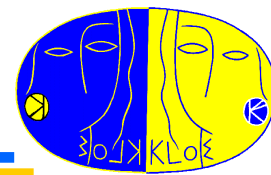
$$\rho(\lambda', \lambda'') \sim -0.95$$

Pole fit result (92% χ^2 probability) indicates dominance of the $K^*(892)$ -exchange in the $K\pi$ transition:

$$M_V = (870 \pm 6_{\text{stat.}} \pm 7_{\text{syst.}}) \text{ MeV}$$

Systematic errors dominated by uncertainties in TOF efficiency correction

Measurement of K_{Le3} form factor slopes



- KLOE measurements of K_{Le3} BR and ff slopes determine:

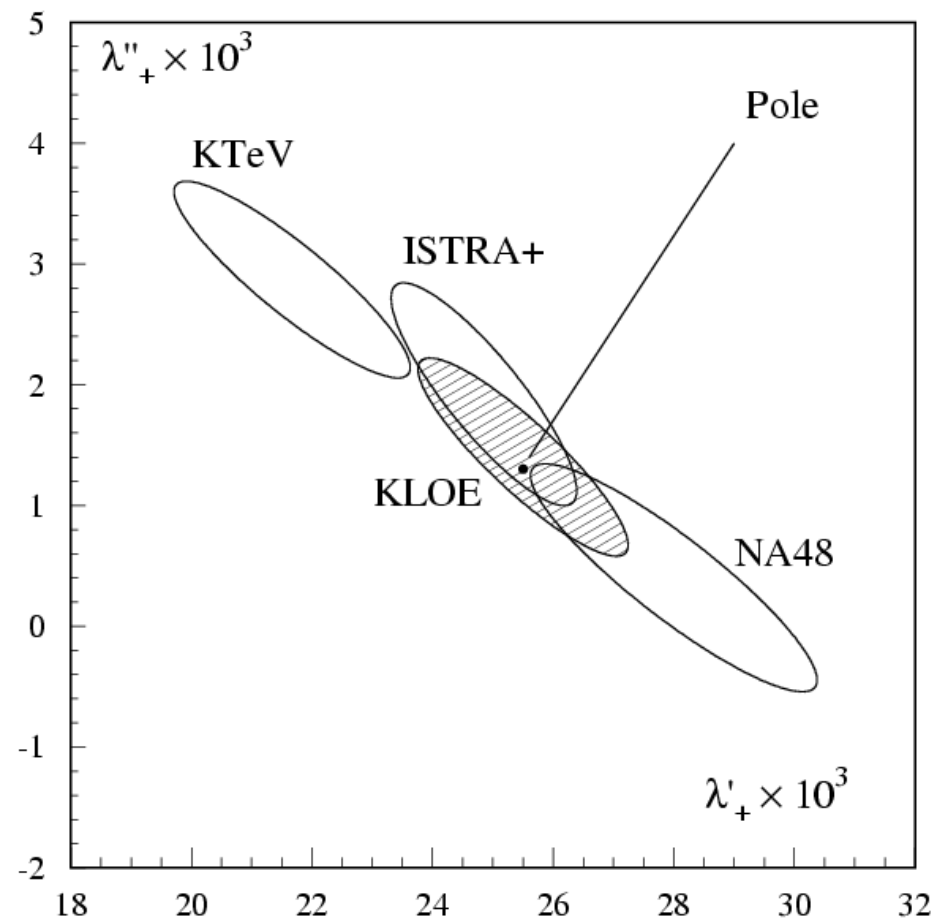
$$f_+(0) \times |V_{us}| = 0.21561(69)$$

Inputs only from KLOE, error 0.32%

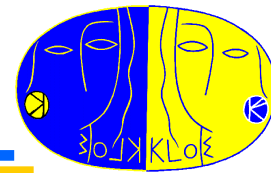
- In comparing with results from other experiments, have to take correlations into account (for averaging methods and state-of-the-art results, see M. Moulson talk, friday)

- For $BR(K_{L\mu3})$, use average slopes of $KLOE_{e3}$, $NA48_{e3}$, $KTeV_{e3,\mu3}$, $ISTRA+_{e3,\mu3}$:

$$f_+(0) \times |V_{us}| = 0.21633(78)$$



Measurement of $K_{L\mu 3}$ form factor slopes



Measuring scalar form factor slopes is relevant:

- V_{us} from $K_{\mu 3}$, test e/ μ universality **with KLOE only**
- Probe scalar-current, V+A amplitudes

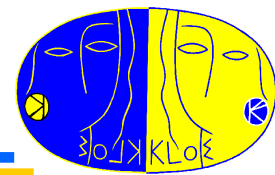
In progress, will reach $\delta\lambda_0/\lambda_0 \sim 5-10\%$ with 2.5 fb^{-1}

π/μ separation at low energies is difficult:

- 1) improve PID, by kinem. + TOF + cluster shapes, or
- 2) fit E_ν spectrum, losing sensitivity by $\times 0.5$ (λ_+), $\times 0.8$ (λ_0)

Problems in keeping low systematics on λ_0 :

- Contamination from wrong-charge $K_{\mu 3}$
- High sensitivity to efficiency correction/resolution effects around E_{max} : +1% in signal counts \rightarrow +15% in λ_0



- **Events with K_L 's interacting in the EmC:**

- $K_S \rightarrow \pi^- e^+ \nu, \pi^+ e^- \bar{\nu}$: extrapolate tracks from IP to the EmC, discriminate e^{\pm} from π^{\pm} using TOF, and fit distribution of multiple kinematic variables
- $K_S \rightarrow \pi^+ \pi^-$: extrapolate tracks to the IP, accept events with one track pair

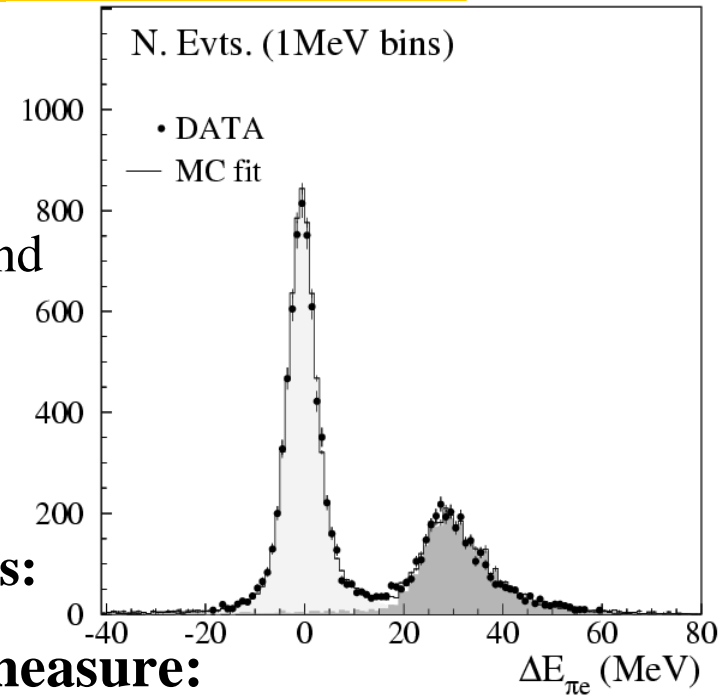
- **Normalize $K_S \rightarrow \pi^- e^+ \nu, \pi^+ e^- \bar{\nu}$ to $K_S \rightarrow \pi^+ \pi^-$ counts:**

- **Correct for selection efficiencies by charge, measure:**

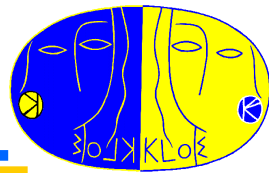
$$R_{e^+} \equiv \frac{\Gamma(K_S \rightarrow \pi^- e^+ \nu)}{\Gamma(K_S \rightarrow \pi^+ \pi^-)} = (5.099 \pm 0.082_{\text{stat}} \pm 0.039_{\text{syst}}) \times 10^{-4}$$

$$R_{e^-} \equiv \frac{\Gamma(K_S \rightarrow \pi^+ e^- \bar{\nu})}{\Gamma(K_S \rightarrow \pi^+ \pi^-)} = (5.083 \pm 0.073_{\text{stat}} \pm 0.042_{\text{syst}}) \times 10^{-4}$$

- **Total error dominated by statistics, O(1%)**



Close K_S BR's to unity: two-pion ratio

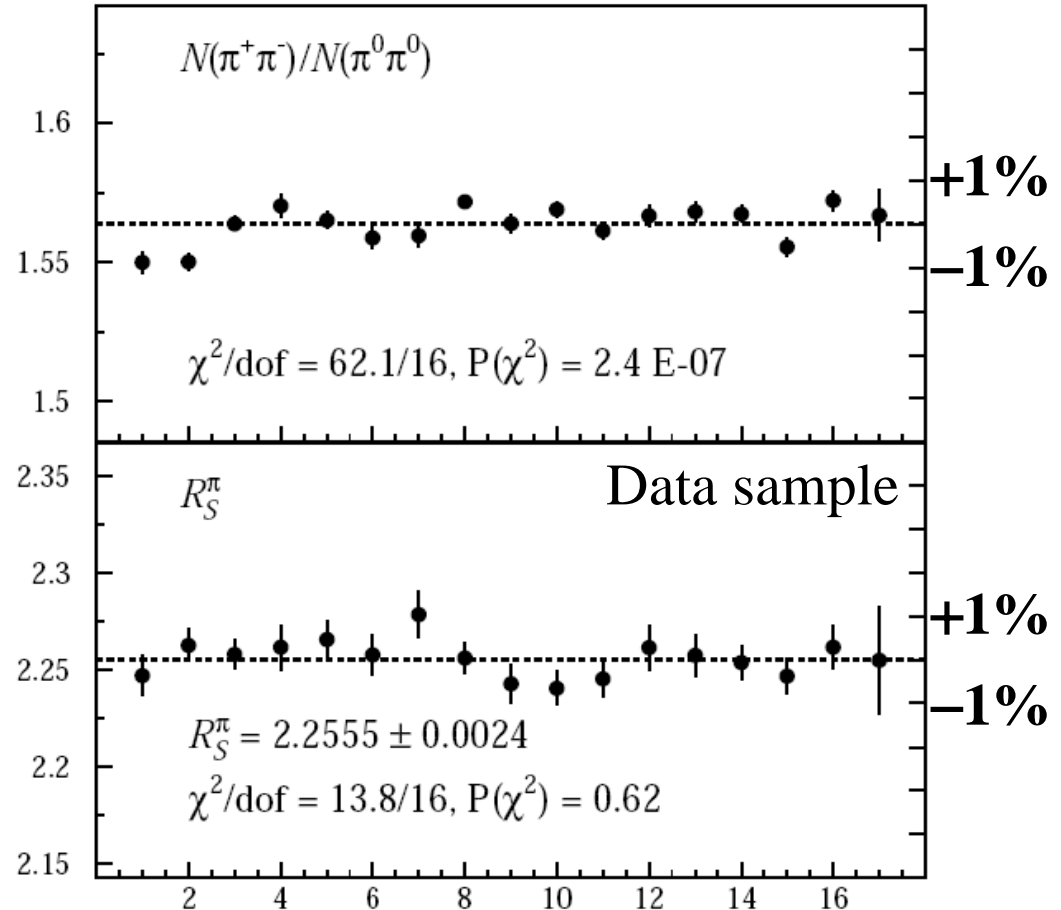


Precise measurement of $R = \frac{\Gamma(K_S \rightarrow \pi^+ \pi^-)}{\Gamma(K_S \rightarrow \pi^0 \pi^0)} = 2.2549 \pm 0.0054$

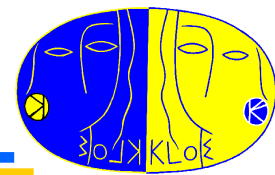
Measurement inclusive with respect to photon radiation

Careful check of systematic uncertainties:

- Ratio of selection efficiencies for $\pi^+ \pi^- (\gamma)$ and $\pi^0 \pi^0$
- Dependence of tagging efficiency on decay mode
- Dependence of R on level of machine background, stability studies



Unique to KLOE: V_{us} from K_{Se3}



Combine ratio of K_{e3} BR's with **R**, impose e/μ universality, and obtain:

$$\left\{ \begin{array}{l} \text{BR}(K_S \rightarrow \pi^+ \pi^-) = (69.196 \pm 0.051) \times 10^{-2} \\ \text{BR}(K_S \rightarrow \pi^0 \pi^0) = (30.687 \pm 0.051) \times 10^{-2} \\ \text{BR}(K_S \rightarrow \pi^- e^+ \nu) = (3.528 \pm 0.062) \times 10^{-4} \\ \text{BR}(K_S \rightarrow \pi^+ e^- \bar{\nu}) = (3.517 \pm 0.058) \times 10^{-4} \end{array} \right.$$

and:

$$\text{BR}(K_S \rightarrow \pi e \nu) = (7.046 \pm 0.091) \times 10^{-4}$$

Tightening the cuts, select 15,000 $\pi e \nu$ events with 0.7% contamination

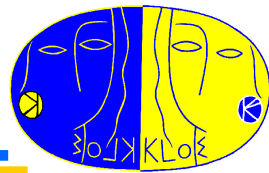
From linear fit of t distribution (not enough sensitivity for quadratic term):

$$\text{First measurement from } K_S: \lambda_+ = (33.9 \pm 4.1) \times 10^{-3}$$

From the above BR, benefiting of precise measurement of τ_S , can extract:

$$\mathbf{f_+(0) \times |V_{us}| = 0.2154 \pm 0.0014, \text{ error } 0.67\% \text{ (96\% from BR itself)}}$$

Other impacts from K_{se3} (1)



Comparing $\Gamma(K_S \rightarrow \pi e \nu)$ to $\Gamma(K_L \rightarrow \pi e \nu)$, test $\Delta S = \Delta Q$:

×2 improvement in precision on $\text{Re } x_+ = (-0.5 \pm 3.6) \times 10^{-3}$

Sensitivity to CPT violating effects through charge asymmetry:

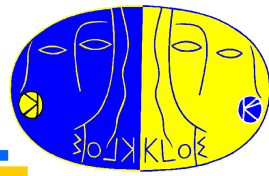
$$A_{S,L} = \frac{\Gamma(K_{S,L} \rightarrow \pi^- e^+ \nu) - \Gamma(K_{S,L} \rightarrow \pi^+ e^- \bar{\nu})}{\Gamma(K_{S,L} \rightarrow \pi^- e^+ \nu) + \Gamma(K_{S,L} \rightarrow \pi^+ e^- \bar{\nu})} \begin{cases} A_S - A_L = 4 [\text{Re } (\delta) + \text{Re } (x_-)] \\ A_S + A_L = 4 [\text{Re } (\epsilon) - \text{Re } (y)] \end{cases}$$

Evaluate A_S from:
$$A_S = \frac{N(\pi^- e^+ \nu)/\epsilon_{\text{tot}}^+ - N(\pi^+ e^- \bar{\nu})/\epsilon_{\text{tot}}^-}{N(\pi^- e^+ \nu)/\epsilon_{\text{tot}}^+ + N(\pi^+ e^- \bar{\nu})/\epsilon_{\text{tot}}^-}$$

A_S measured for the first time:
$$A_S = (1.5 \pm 9.6_{\text{stat}} \pm 2.9_{\text{syst}}) \times 10^{-3}$$

Error dominated by statistics, ×3 improvement after analysis of 2.5 fb^{-1}

Other impacts from K_{se3} (2)



From $A_S - A_L$, using $A_L = 3.34(7) \cdot 10^{-3}$ from KTeV, $\text{Re}(\delta)$ from CPLEAR:

×5 improvement for error on $\text{Re } x_- = (-0.8 \pm 2.5) \times 10^{-3}$

From $A_S + A_L$, determine for the first time $\text{Re } y = (0.4 \pm 2.5) \times 10^{-3}$

From $\text{Re}(y)$ and two recent KLOE measurements,

$$\text{BR}(K_L \rightarrow \pi^+\pi^-) = 1.963(12)(17) \times 10^{-3} \text{ and}$$

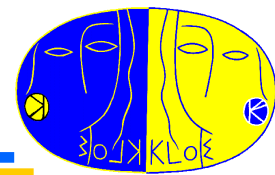
$$\text{BR}(K_S \rightarrow 3\pi^0) \leq 1.2 \times 10^{-7} \text{ @ 90\% CL,}$$

improve CPT violation test via Bell-Steinberger relation:

×2.5 improvement for error on $\text{Re}(\epsilon)$ and $\text{Im}(\delta)$

Shift central value of $\text{Re}(\epsilon)$ by 2σ , no impact on UT because of δB_K

Impact of KLOE: results from BSR



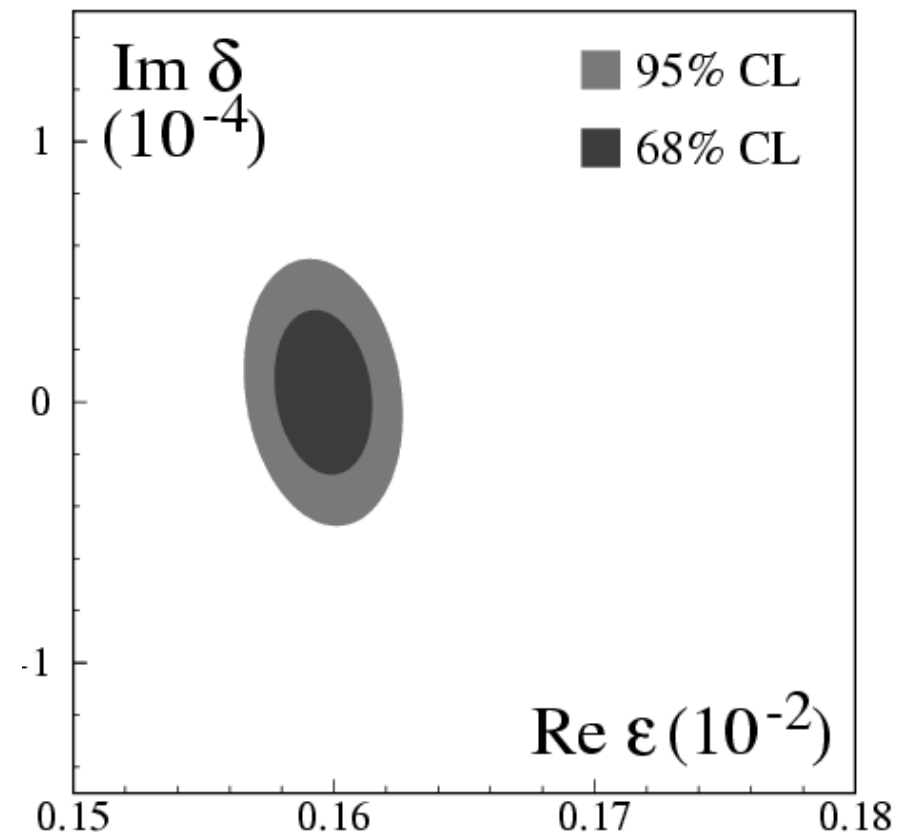
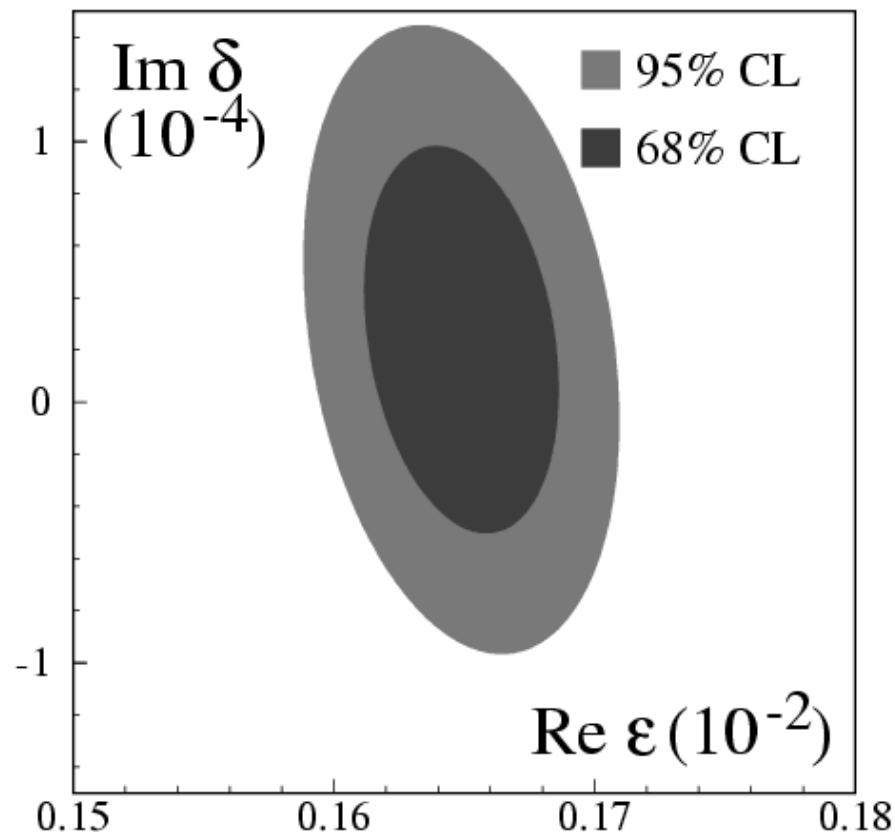
After CPLEAR measurements (2001) After KLOE measurements (2006)

$$\text{Re}(\epsilon) = (164.9 \pm 2.5) \times 10^{-5}$$

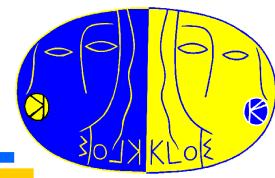
$$\text{Im}(\delta) = (2.4 \pm 5.0) \times 10^{-5}$$

$$\text{Re}(\epsilon) = (159.6 \pm 1.3) \times 10^{-5}$$

$$\text{Im}(\delta) = (0.4 \pm 2.1) \times 10^{-5}$$



Unique to KLOE: $K_{S\mu 3}$ decays



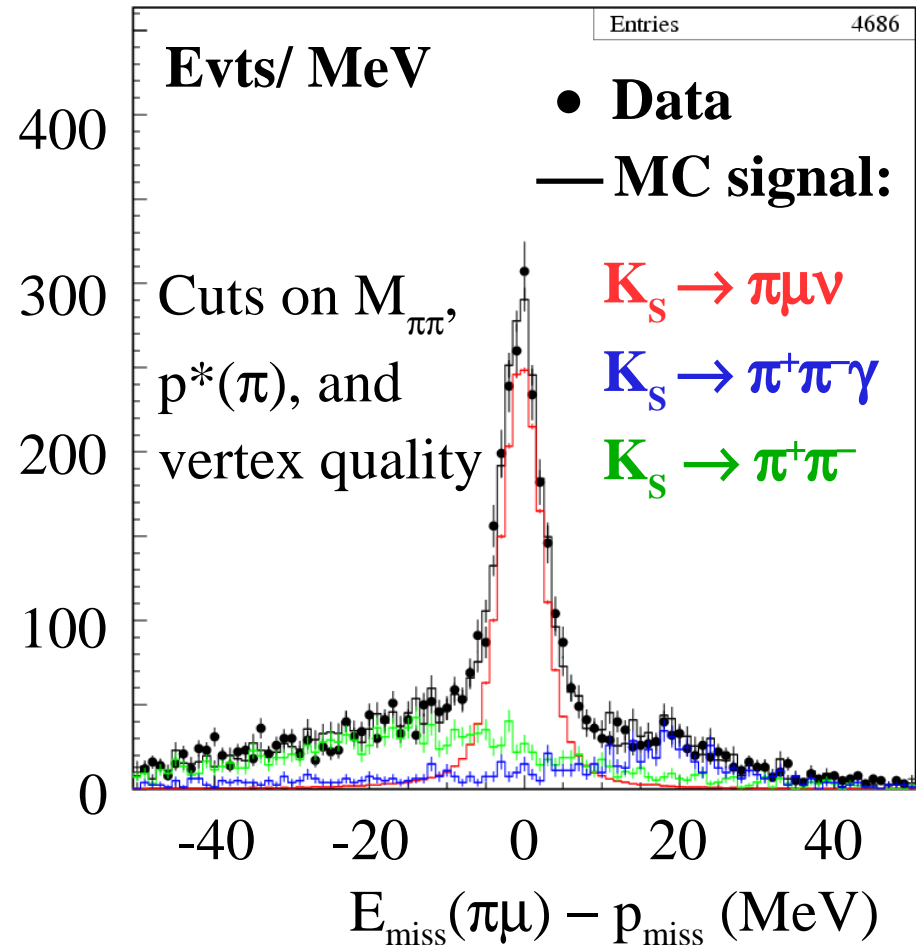
Decay mode has never been observed

Compare width with $K_L \rightarrow \pi\mu\nu$: test of validity of $\Delta S = \Delta Q$ rule

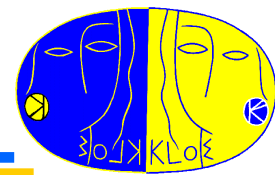
Compare with $K_S \rightarrow \pi e\nu$: test universality of lepton couplings

Measure charge asymmetry: test of CPT, CP violation

Total error dominated by statistics, expect 3% @ the end of analysis



V_{us} from K^+ decays: absolute BR for K^+_{l3}



- **4 independent tagging decays: $K^{\pm}\mu 2$, $K^{\pm}\pi 2$** ; keep systematic effects due to the tag selection under control
- Kinematical cuts to reject non-semileptonic decays, residual background $\sim 1.5\%$
- Obtain number of signal events from a constrained likelihood fit of **data distribution of lepton mass squared (M^2) known from TOF**

- Perform measurement of **absolute BR on each tag sample** separately normalizing to tag counts in the same data set

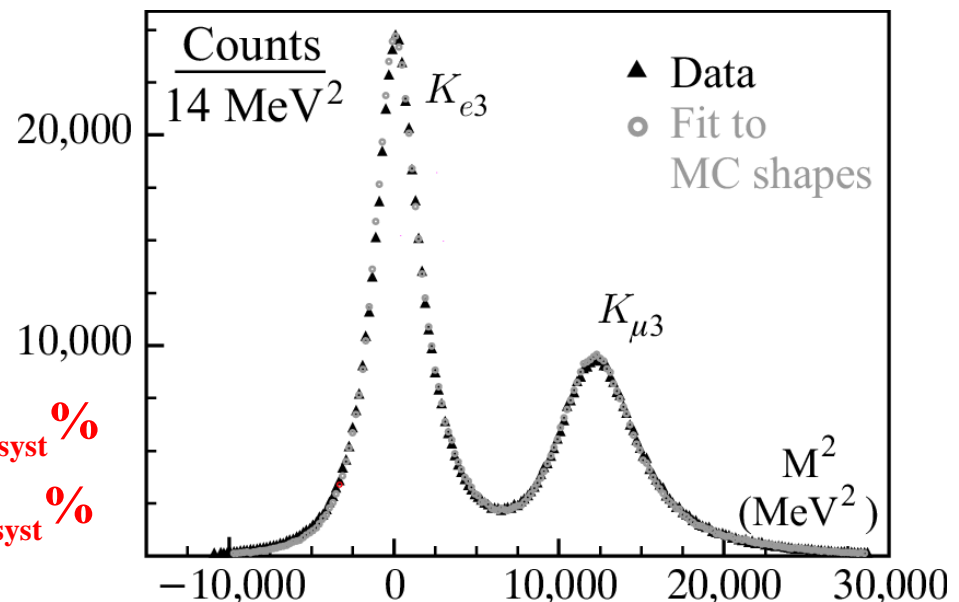
- KLOE 2005 preliminary:

$$\text{BR}(K^{\pm}_{e3}) = 5.047(19)_{\text{stat}} (39)_{\text{corr-stat}} (81)_{\text{syst}} \%$$

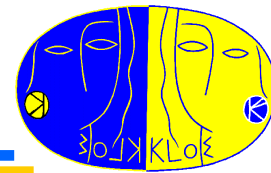
$$\text{BR}(K^{\pm}_{\mu 3}) = 3.310(16)_{\text{stat}} (45)_{\text{corr-stat}} (65)_{\text{syst}} \%$$

$$\rho(K_{e3}, K_{\mu 3}) = 0.42$$

- Systematic dominated by uncertainty on tracking efficiency correction



V_{us} from K^+ decays: measurement of τ_+



• Experimental status unclear:

- PDG average $\delta\tau/\tau \sim 0.2\% \rightarrow \delta V_{us}/V_{us} \sim 0.1\%$
- Mmts spread $\delta\tau/\tau \sim 0.8\% \rightarrow \delta V_{us}/V_{us} \sim 0.4\%$

• Two methods to measure τ_{\pm} at KLOE:

- 1) From $K^+ \rightarrow 1\text{track}$ decay-length, proper time accounting for energy losses: $t^* = \sum_i L_i/(\beta_i\gamma_i c)$
- 2) From $K^+ \rightarrow X\pi^0$, t^* from photon TOF's

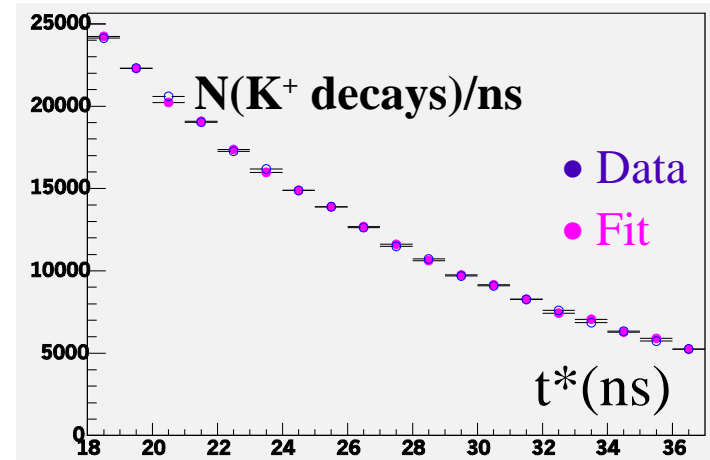
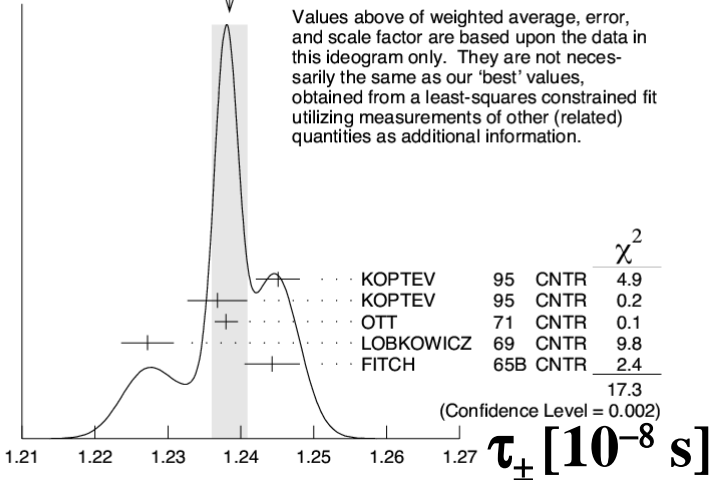
• Allow systematic checks, only features common to both methods are:

- Tag is done with $K_{\mu 2}$ decay identification
- Kaon decay vertex is in the DC

• KLOE preliminary (1st method, $\sim 175 \text{ pb}^{-1}$):

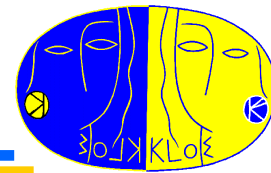
$$\tau_{\pm} = 12.367(44)(65) \text{ ns}$$

WEIGHTED AVERAGE
1.2385±0.0025 (Error scaled by 2.1)



After analysis of entire data set, KLOE can clarify τ_+ landscape

KLOE summary of $f_0 \times V_{us}$



For K_{e3} modes, use ff slopes from KLOE

For $K_{\mu 3}$ modes, use average of $KLOE_{e3}$, $NA48_{e3}$, $KTeV_{e3,\mu 3}$, $ISTRA_{e3,\mu 3}$:

$$\lambda_+' = 24.92(83) \times 10^{-3}, \lambda_+'' = 1.59(36) \times 10^{-3}, \text{ with } \rho(\lambda_+', \lambda_+'') = -0.94$$

$$\lambda_0 = 16.07(82) \times 10^{-3}, \text{ with } \rho(\lambda_+', \lambda_0) = +0.24, \rho(\lambda_+'', \lambda_0) = -0.34$$

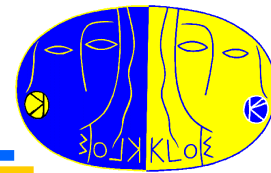
Mode	$f_+(0) \times V_{us} $	Error, %	KLOE input	External input
K_{Le3}	0.21561(69)	0.32	ff, BR, τ_L	
$K_{L\mu 3}$	0.21633(78)	0.36	BR, τ_L	ff [KLOE, NA48, ISTRA, KTeV]
K_{Se3}	0.2154(14)	0.67	ff, BR	τ_s [PDG]
K_{e3}^+	0.2170(21)	0.96	ff, BR*	τ^+ [PDG]
$K_{\mu 3}^+$	0.2150(28)	1.3	BR*	ff [KLOE, NA48, ISTRA, KTeV], τ_+ [PDG]

Best accuracy is achieved for K_L 's, with errors dominated by τ_L

Intermediate accuracy for K_S , with error dominated by BR

*Preliminary measurement

KLOE summary of $f_+ \times V_{us}$ (2)



For simplicity, use ff slopes average of KLOE_{e3}, NA48_{e3}, KTeV_{e3,μ3}, ISTRA+_{e3,μ3}

Mode	$f_+(0) \times V_{us} $	Error,%	KLOE input	External input
K _{Le3}	0.21572(64)	0.30	ff, BR, τ_L	
K _{Lμ3}	0.21633(78)	0.36	BR, τ_L	ff [KLOE,NA48,ISTRA,KTeV]
K _{Se3}	0.2155(14)	0.66	ff, BR	τ_s [PDG]
K _{e3} ⁺	0.2171(21)	0.96	ff, BR*	τ^+ [PDG]
K _{μ3} ⁺	0.2150(28)	1.3	BR*	ff [KLOE,NA48,ISTRA,KTeV], τ_+ [PDG]
AvgTM	0.21595(50)	0.23		

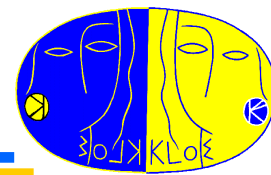
Unitarity, use $V_{ud} = 0.97377(27)$, $f_+(0) = 0.961(8)$: $\Delta = 1 - V_{ud}^2 - V_{us}^2 = (-13 \pm 10) \times 10^{-4}$

e/μ universality satisfied:

K_L $[G_F(\mu)/G_F(e)]^2 = 1.0059(83)$ cfr with $G_F(\mu)/G_F(e) = 1.047(14)$ [PDG04]

K⁺ $[G_F(\mu)/G_F(e)]^2 = 0.981(25)$ cfr with $G_F(\mu)/G_F(e) = 1.004(16)$ [PDG04]

TM takes correlations into account (see M. Moulson talk), $P(\chi^2/ndf = 1.3/4) = 86\%$



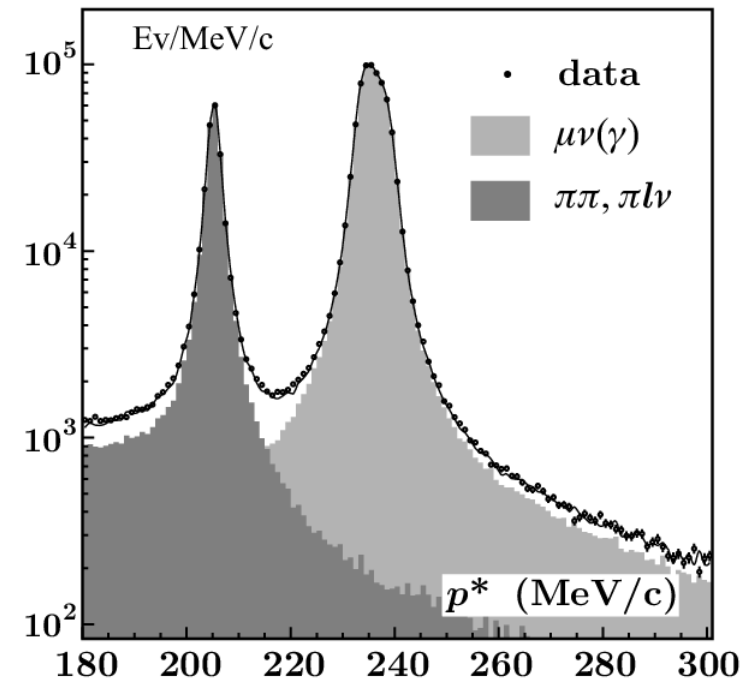
- Get $|V_{us}/V_{ud}|$ from $K, \pi \rightarrow \mu\nu$ widths:
$$\frac{\Gamma(K \rightarrow \mu\nu(\gamma))}{\Gamma(\pi \rightarrow \mu\nu(\gamma))} = \frac{m_K \left(1 - \frac{m_\mu^2}{m_K^2}\right)^2}{m_\pi \left(1 - \frac{m_\mu^2}{m_\pi^2}\right)^2} \frac{|V_{us}|^2}{|V_{ud}|^2} \frac{f_K^2}{f_\pi^2} \frac{1 + \frac{\alpha}{\pi} C_K}{1 + \frac{\alpha}{\pi} C_\pi}$$
 - Theoretical inputs: f_K/f_π , radiative correction C_K and C_π for K and π decays

[Marciano PRL93 231803,2004]

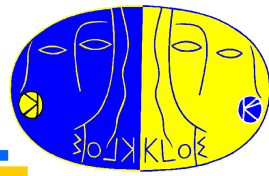
- Experimental inputs: $m_{K,\pi,\mu}$, $\Gamma(K_{\mu 2})/\Gamma(\pi_{\mu 2})$
- KLOE measurement of $BR(K^+ \rightarrow \mu^+\nu)$:

- Tag events from $K^- \rightarrow \mu^- \nu$
- Select K^+ decays to a charged track in FV
- Event count from fit of p^* distribution of secondary
- From analysis of $\sim 175 \text{ pb}^{-1}$ of 2002 data,

$$BR(K^+ \rightarrow \mu^+\nu(\gamma)) = 63.66(9)(15)\%$$



V_{us} from $K_{\mu 2}$ vs V_{us} from $Kl3$ (1)



From KLOE BR($K^+ \rightarrow \mu^+ \nu$) and:

$$f_K/f_\pi = 1.208(2)^{(+7}_{-14)} \text{ [MILC Coll. 2006]}$$

$$C_K, C_\pi \text{ [Marciano PRL93 231803,2004]}$$

$$M_{K,\pi,\mu}, \tau_+, \Gamma(\pi^+ \rightarrow \mu^+ \nu) \text{ [PDG]}$$

get $|V_{us}/V_{ud}| = 0.2286^{(+27}_{-15)}$

Can fit:

1) $|V_{us}/V_{ud}| = 0.2286^{(+27}_{-15)}$

2) $|V_{us}| = 0.2247(19)$

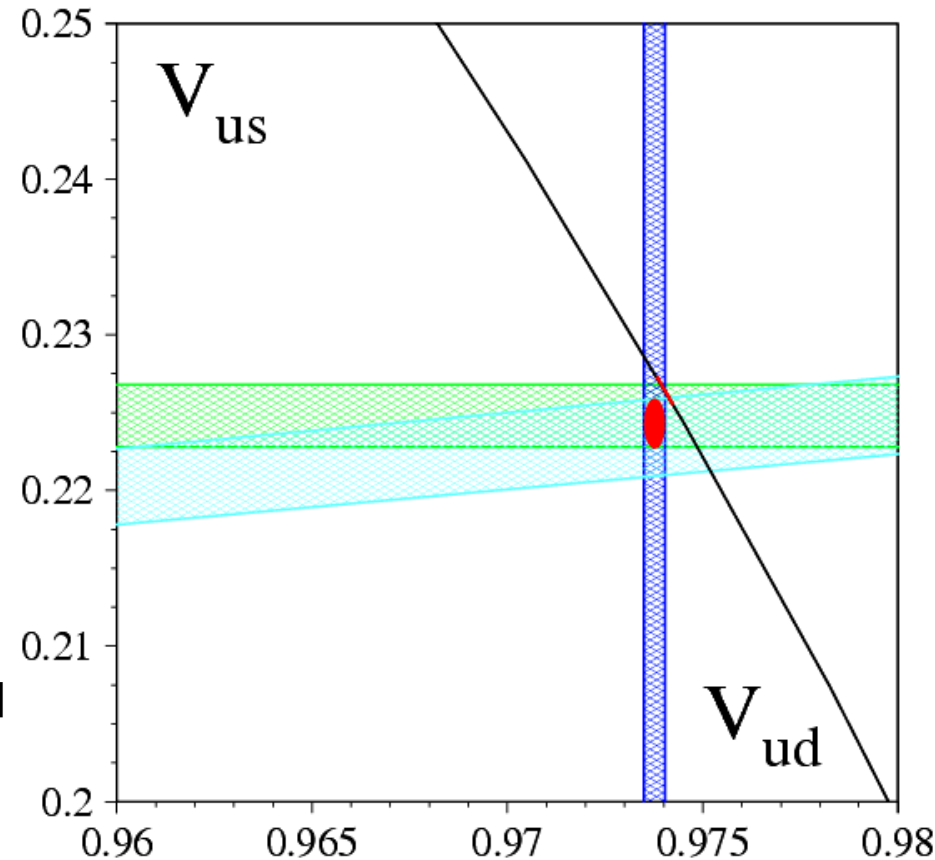
[KLOE K_{l3} , Leutwyler-Roos, $f_+(0) = 0.961(8)$]

3) $|V_{ud}| = 0.97377(27)$

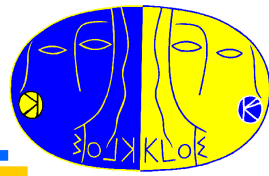
[Marciano & Sirlin PRL96 032002,2006]

get $|V_{us}| = 0.2240(16)$, with $P(\chi^2) = 53\%$ and $\Delta = 1.60(89) \times 10^{-3}$

[With $f_+(0) = 0.9680(16)$ [RBC/UKQCD], get $\Delta = 2.02(59) \times 10^{-3}$, $> 3\sigma$ from 0]



Conclusions



Recent KLOE measurements greatly improve knowledge of $V_{us} \times f_+(0)$

Absolute K_L BR's for four main channels

BR and charge asymmetry for K_{Se3} decays, unique to KLOE

Absolute BR for $K_{\mu 2}^+$, input for $|V_{us}/V_{ud}|$ determination

From these results:

Improved test of 1st row CKM matrix unitarity

Consistent picture of K^0 decays from Bell-Steinberger relation

Improved test of CPT violation via BSR

accuracy on $\text{Re}(\epsilon)$ improved by a factor ~ 2.5 , central value moved

Future developments:

Completion of analyses for K_{13}^+ , τ_+ , and $K^+ \rightarrow \pi^+\pi^0$

Analyses of whole data set for $K_S \rightarrow \pi\mu\nu$, ff slopes for $K_L \rightarrow \pi\mu\nu$